

# Some Thoughts on Component Models

Tom Henzinger

3.14

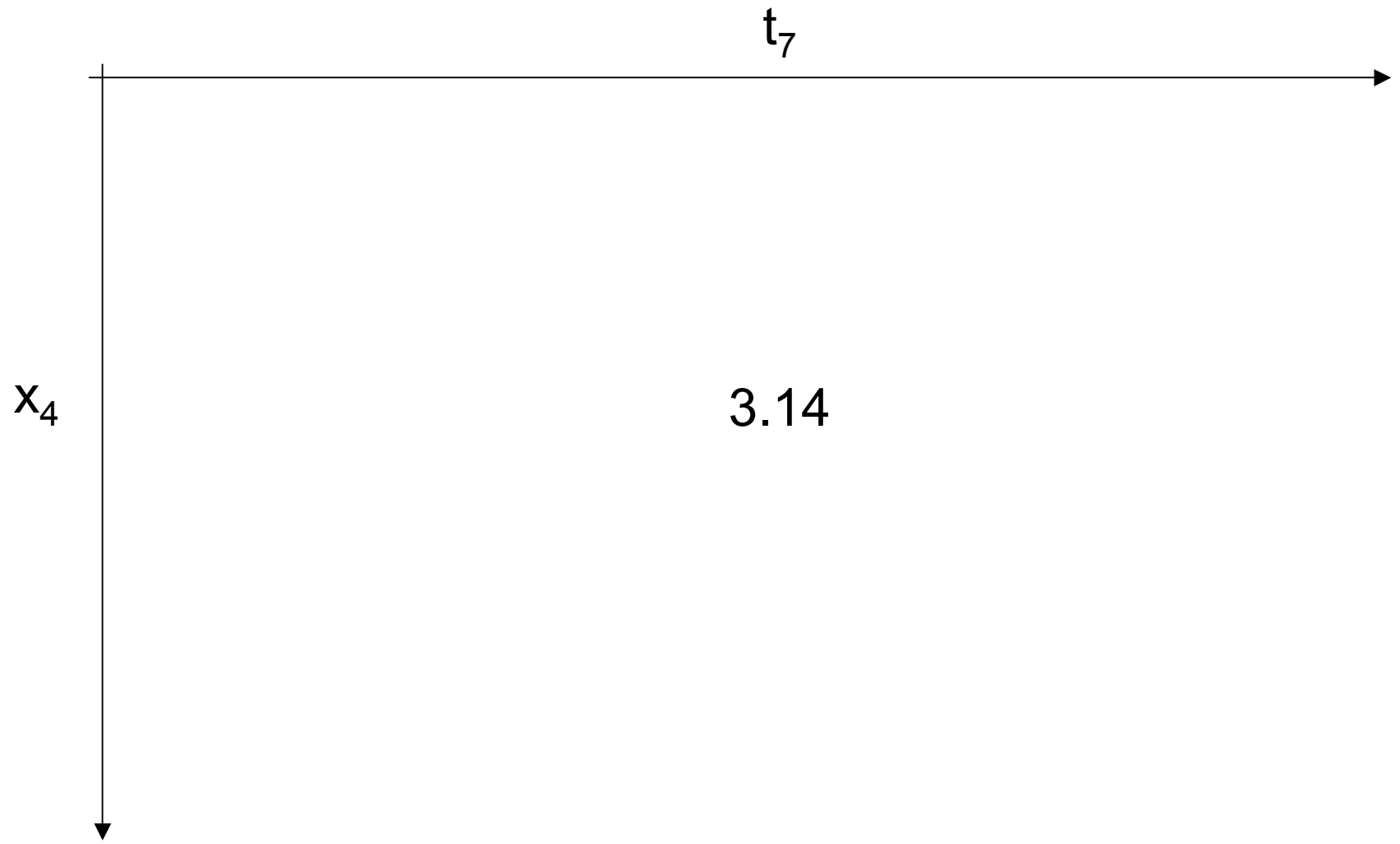
value

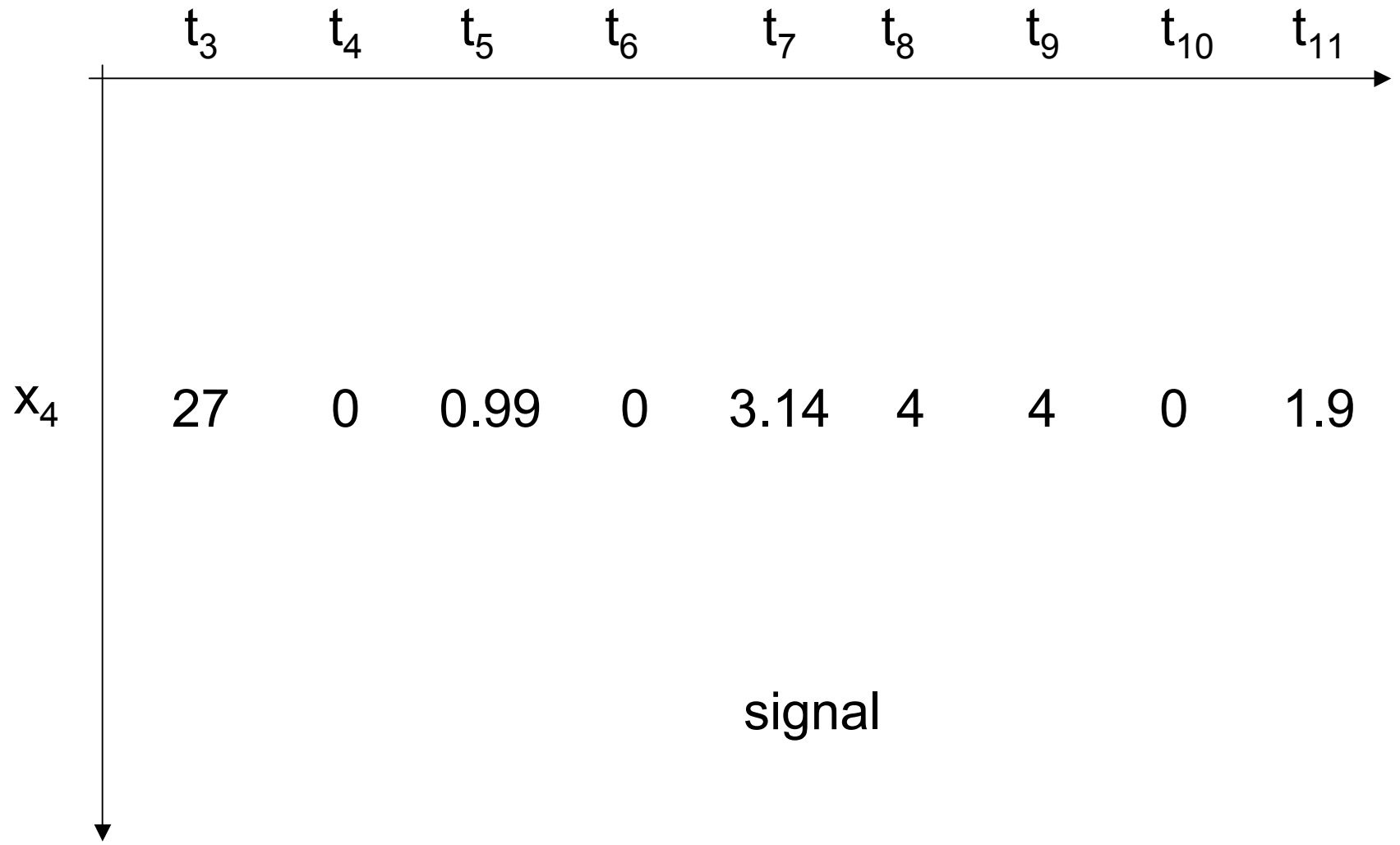
(3.14,  $t_7$ )

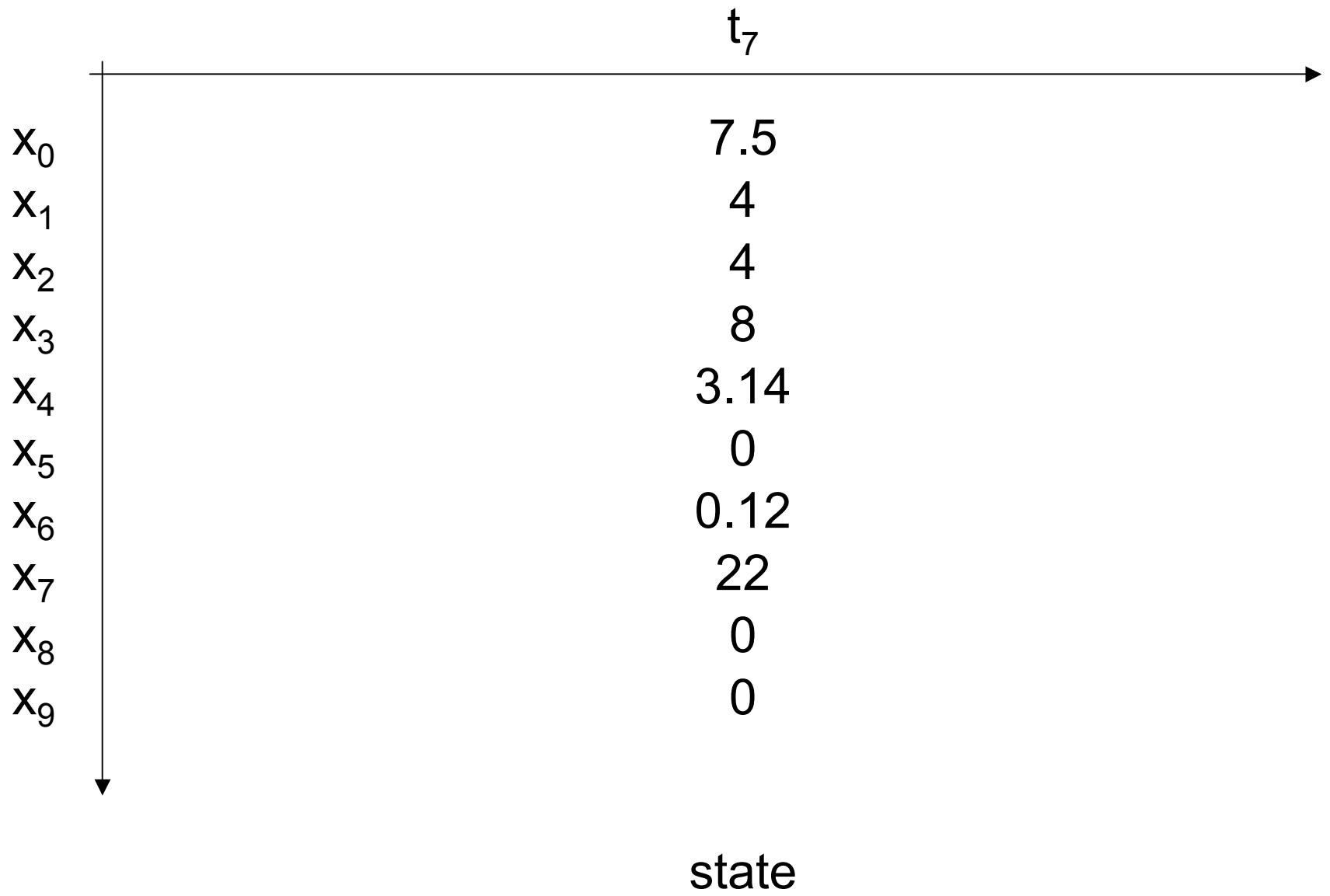
(value, time)

$(x_4, 3.14, t_7)$

(space, value, time)







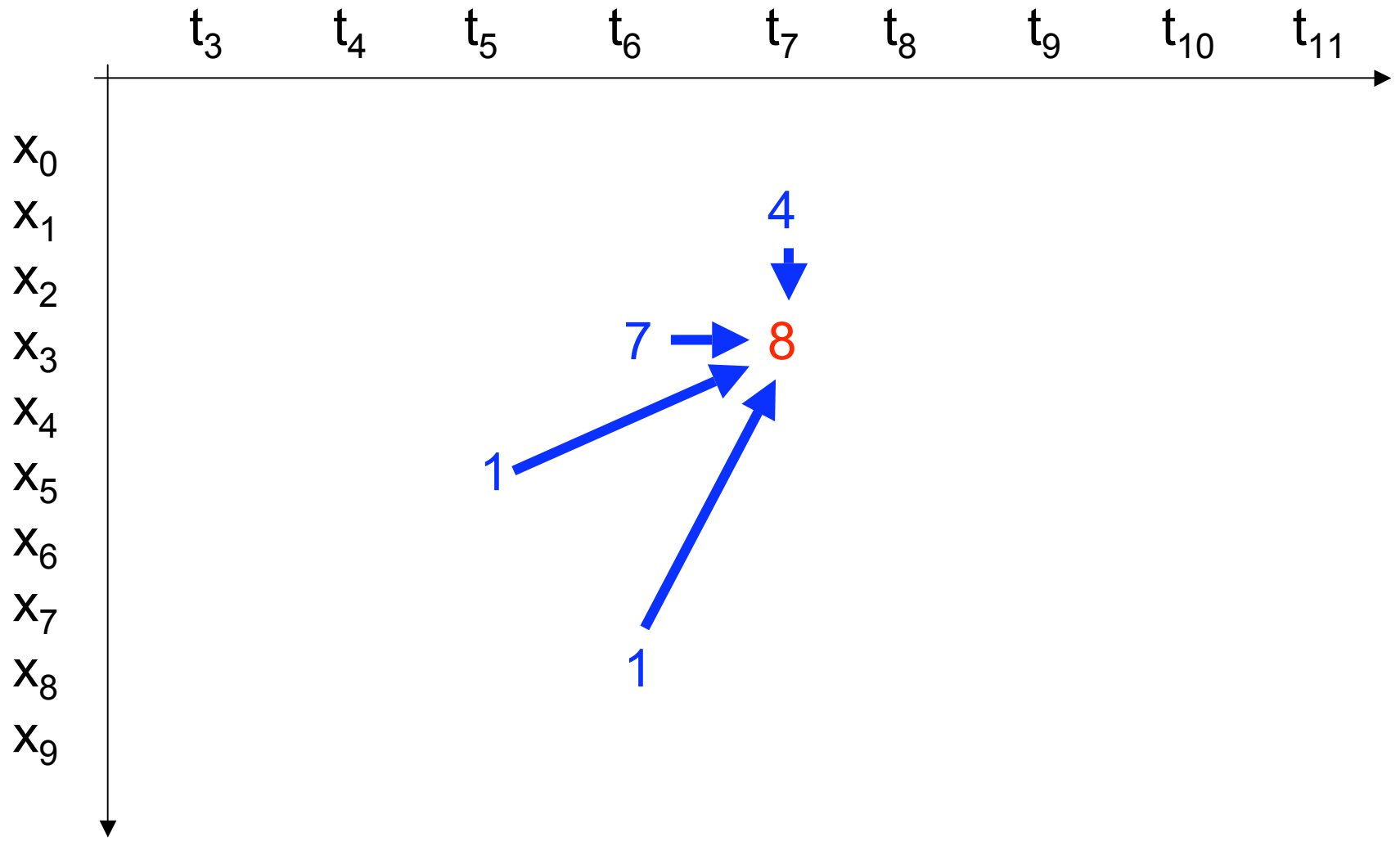
	$t_3$	$t_4$	$t_5$	$t_6$	$t_7$	$t_8$	$t_9$	$t_{10}$	$t_{11}$
$x_0$	25	25	7.5	7.5	7.5	15	15	15	15
$x_1$	0	1	2	3	4	5	6	7	8
$x_2$	3	3	3	4	4	4	4	4	4
$x_3$	3	4	5	7	8	9	10	11	12
$x_4$	27	0	0.99	0	3.14	4	4	0	1.9
$x_5$	0	0	1	0	0	0	1	0	0
$x_6$	7	7.3	0	0.13	0.12	6.9	6.8	7	7
$x_7$	22	22	22	22	22	22	22	22	22
$x_8$	0	0	0	1	0	0	0	1	0
$x_9$	7	0	1	7.3	0	2	3	0.13	0.12

behavior



	$t_3$	$t_4$	$t_5$	$t_6$	$t_7$	$t_8$	$t_9$	$t_{10}$	$t_{11}$
$x_0$	25		7.5			15			
$x_1$	0	1	2	3	4	5	6	7	8
$x_2$	3			4					
$x_3$	3	4	5	7	8	9	10	11	12
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$x_7$	22								
$x_8$	0			1	0			1	0
$x_9$	7	0	1	7.3	0	2	3	0.13	0.12

behavior



dependencies

	$t_3$	$t_4$	$t_5$	$t_6$	$t_7$	$t_8$	$t_9$	$t_{10}$	$t_{11}$
$x_0$	25		7.5			15			
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actor

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composition

	$t_3$	$t_4$	$t_5$	$t_6$	$t_7$	$t_8$	$t_9$	$t_{10}$	$t_{11}$
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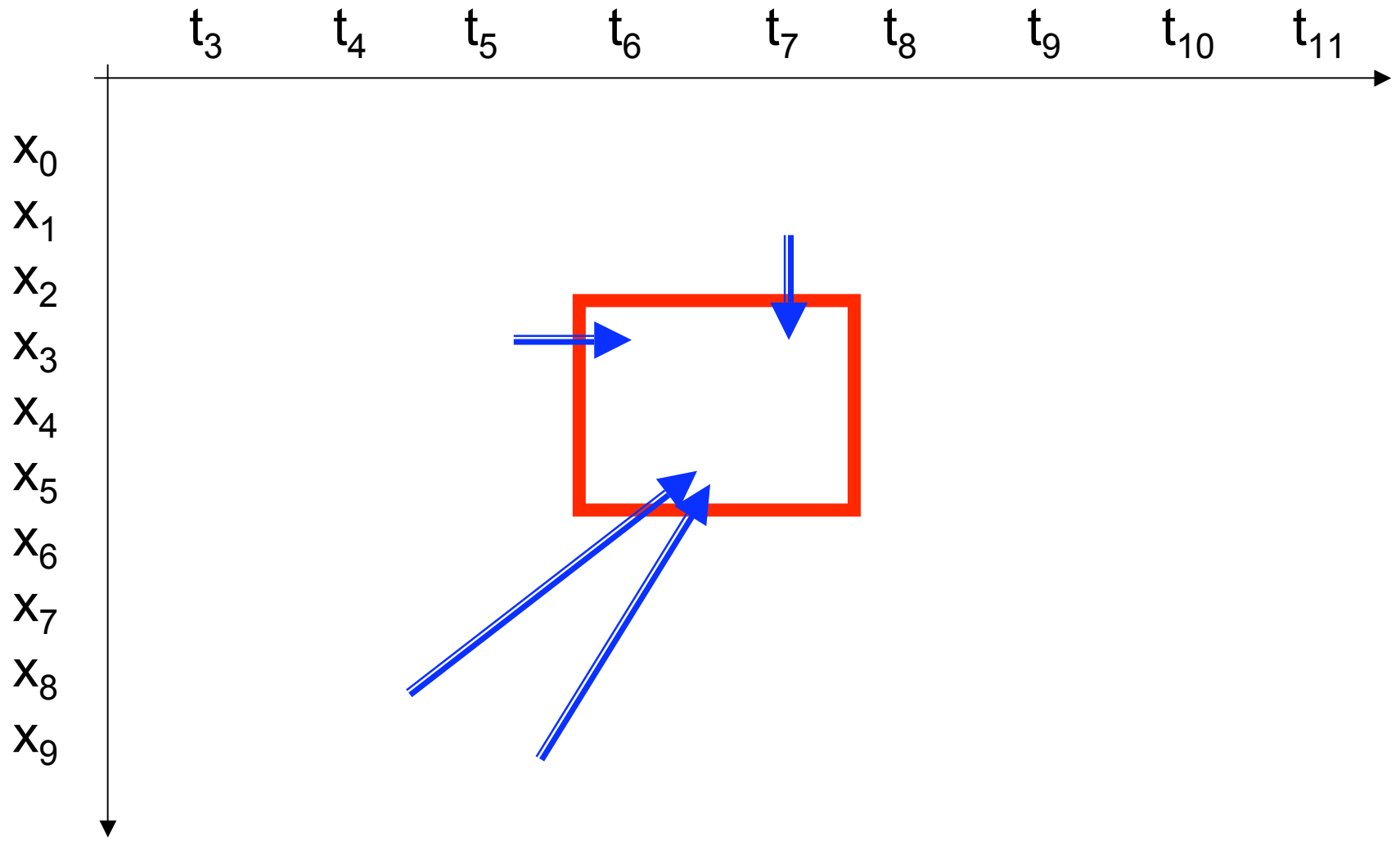
space dependencies static

	$t_3$	$t_4$	$t_5$	$t_6$	$t_7$	$t_8$	$t_9$	$t_{10}$	$t_{11}$
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time dependencies unbounded

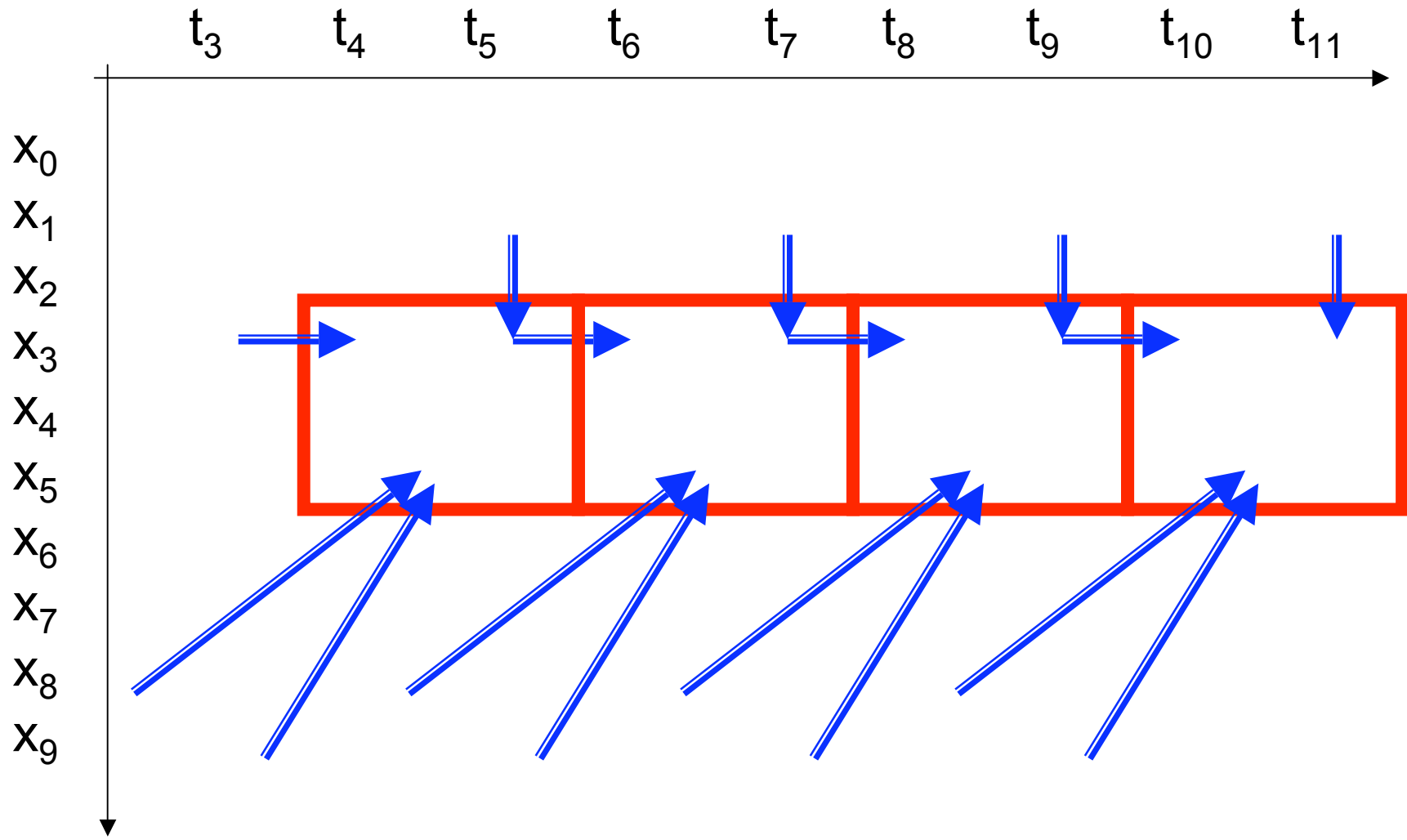
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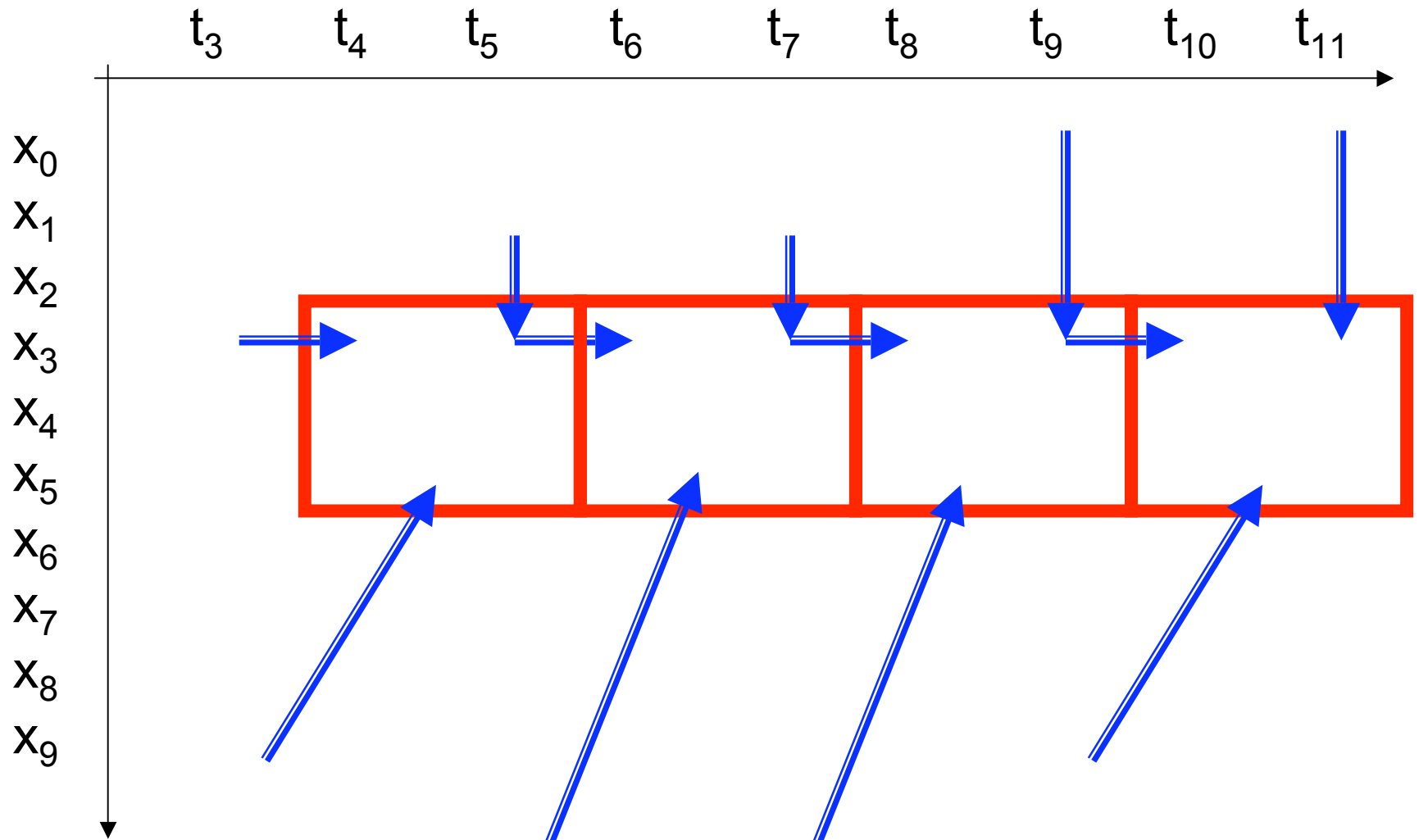
reactive module



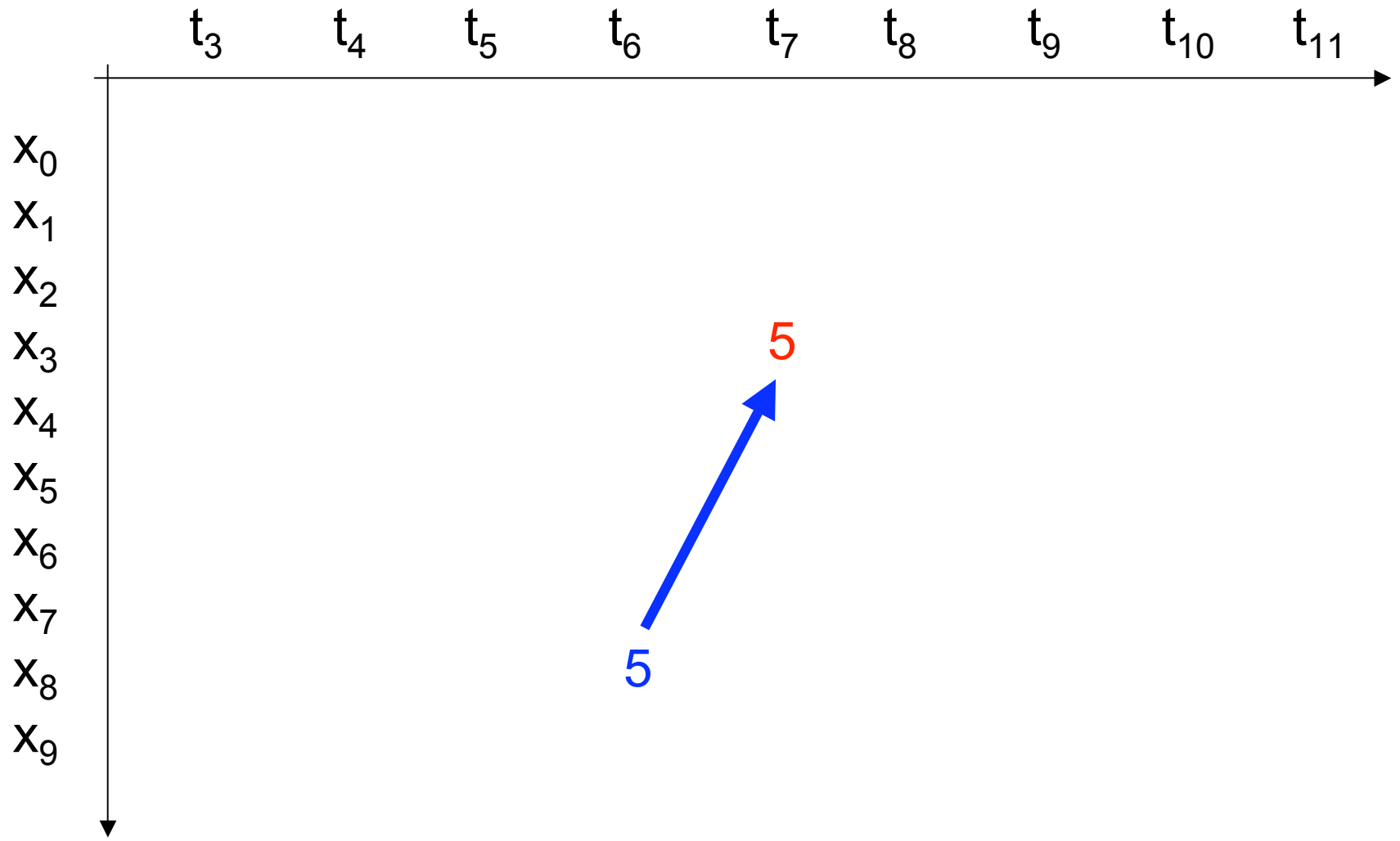
time dependencies bounded



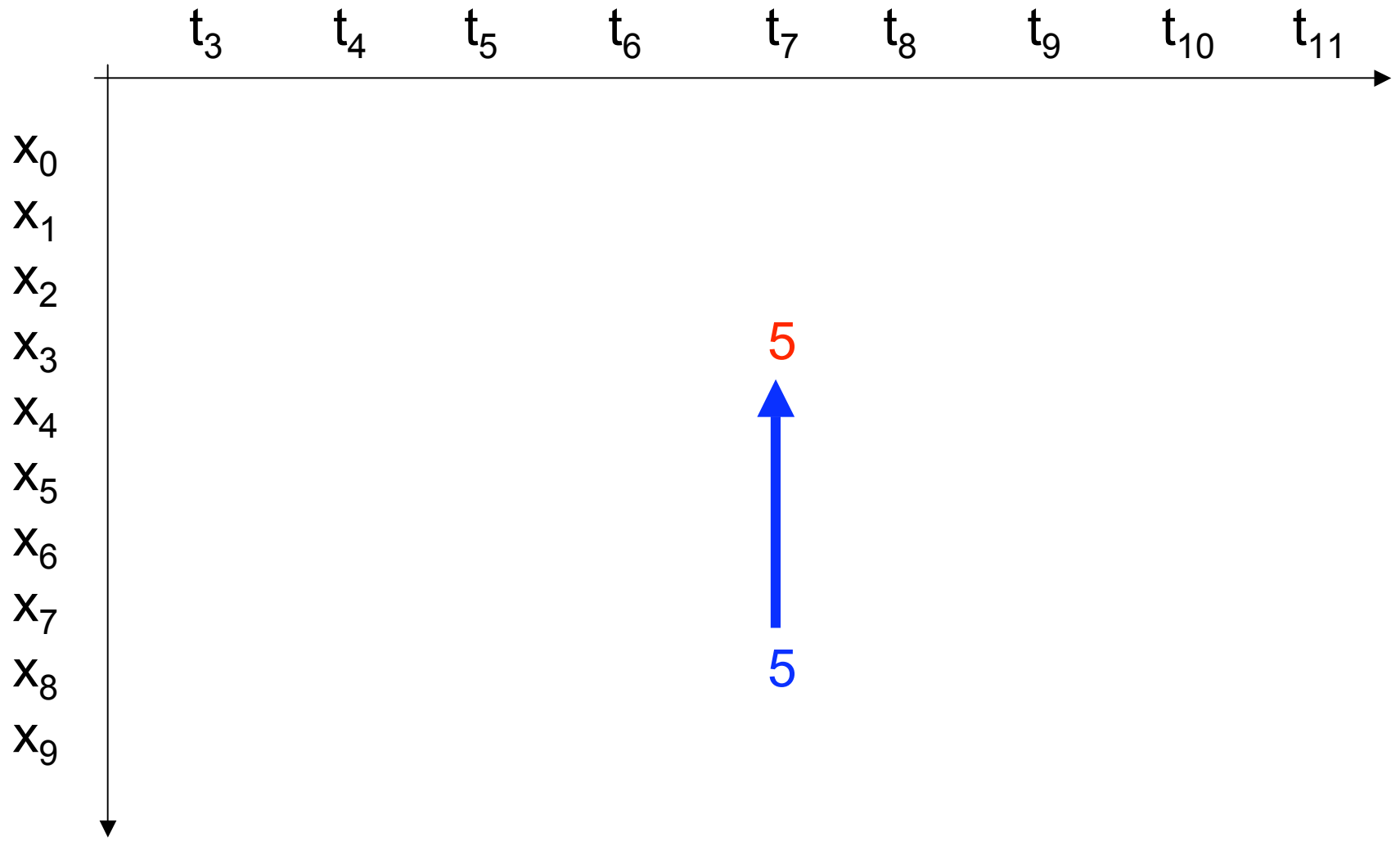




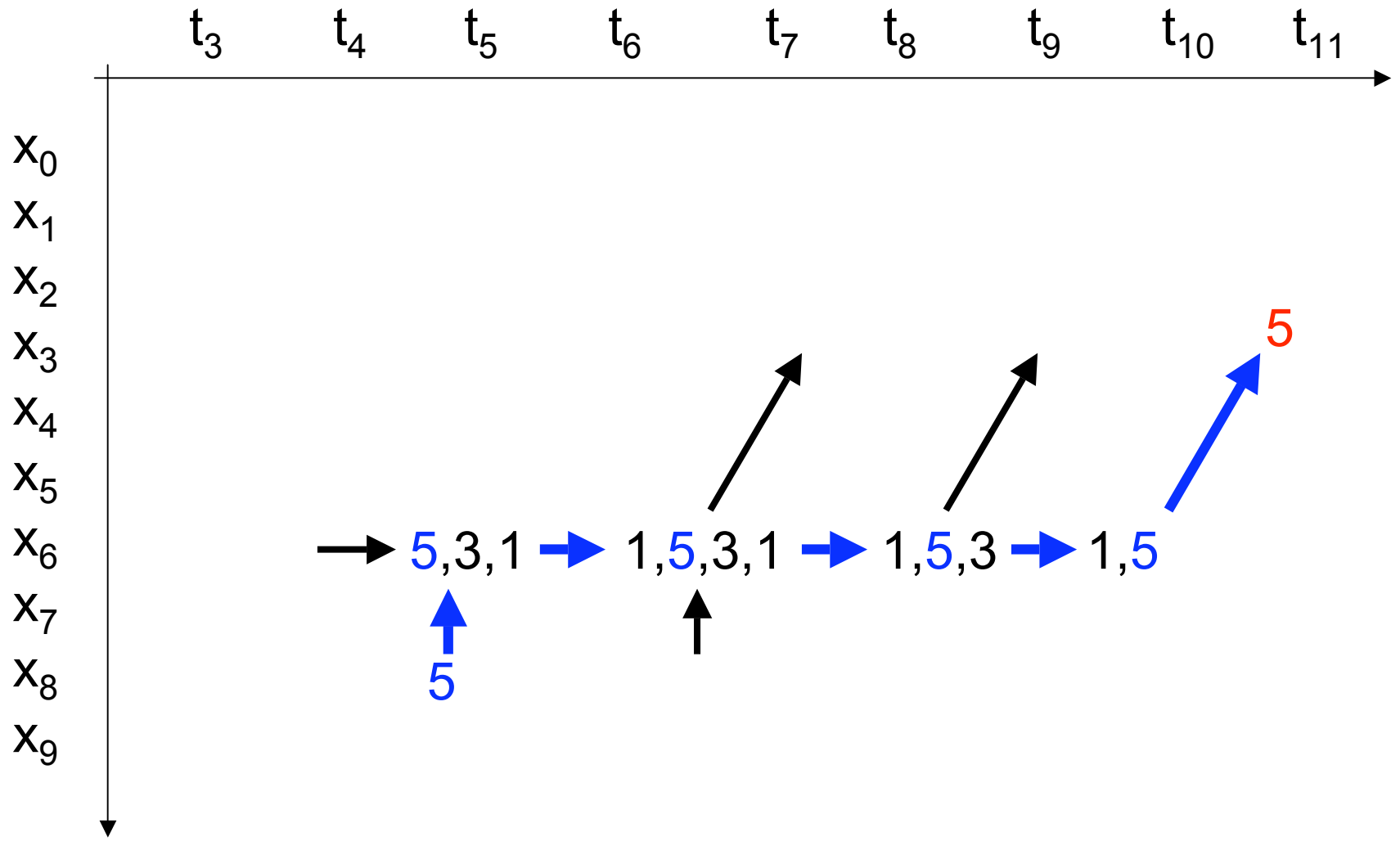
space dependencies  
dynamic: pi-calculus



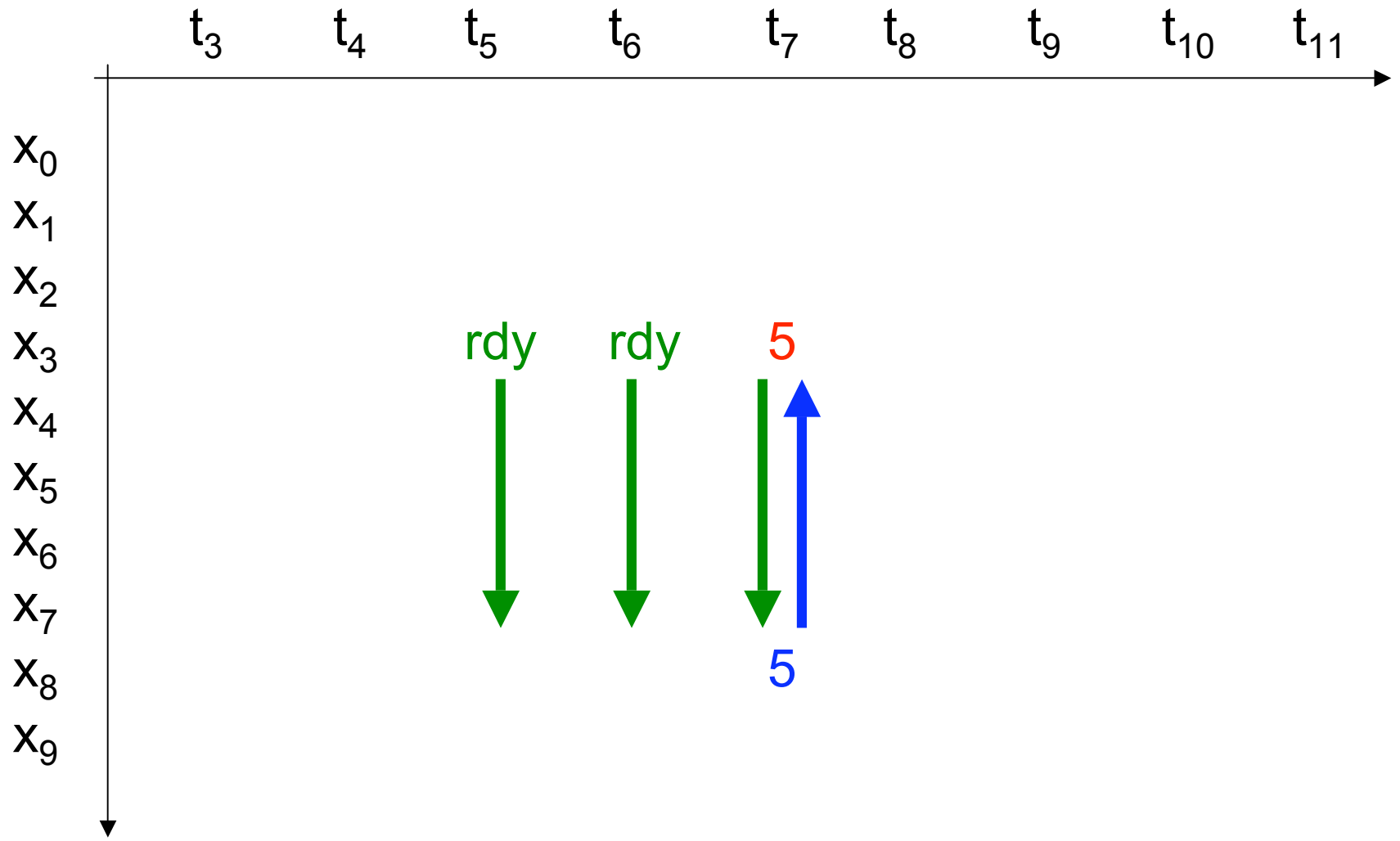
communication



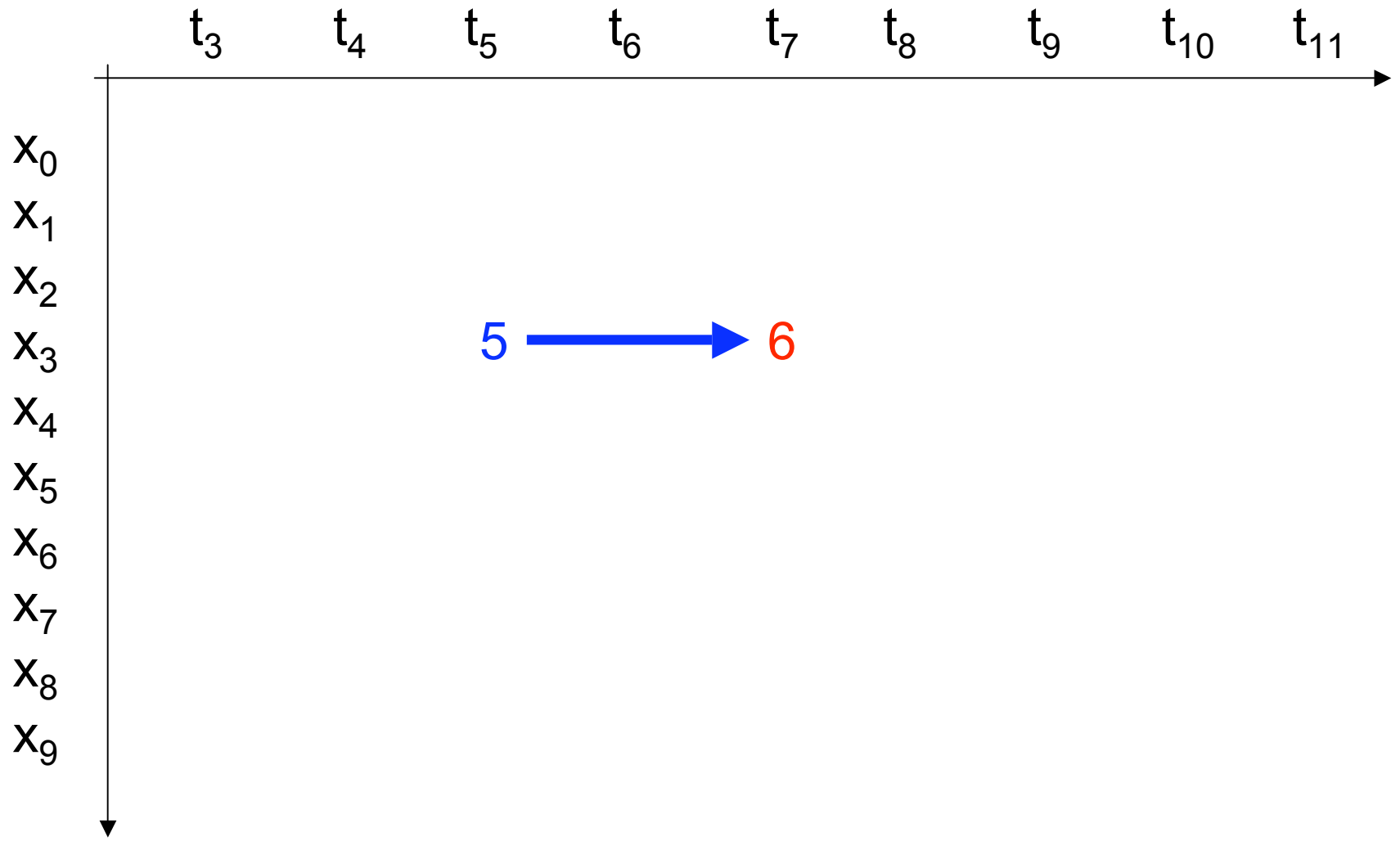
synchronous



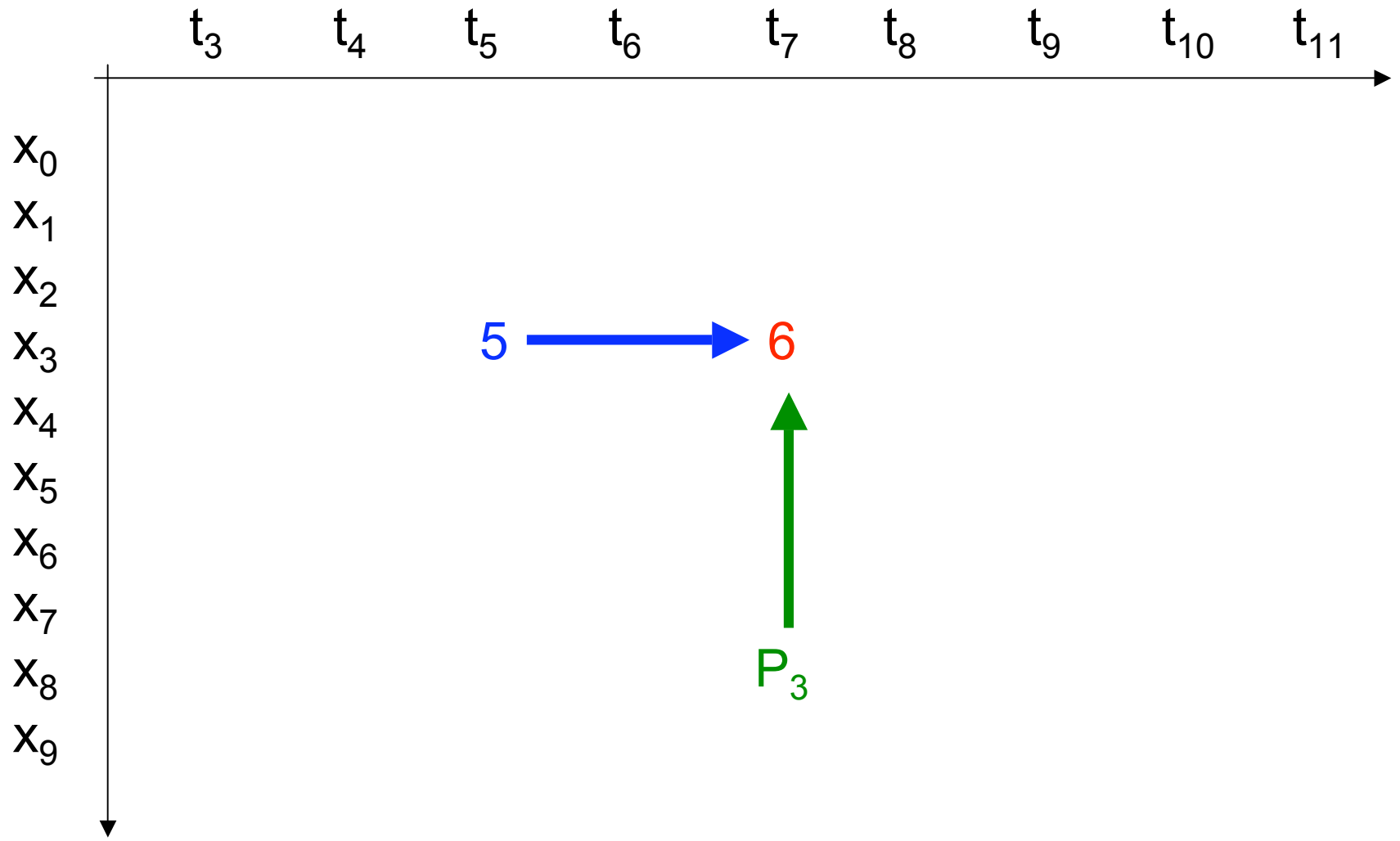
buffered



rendezvous

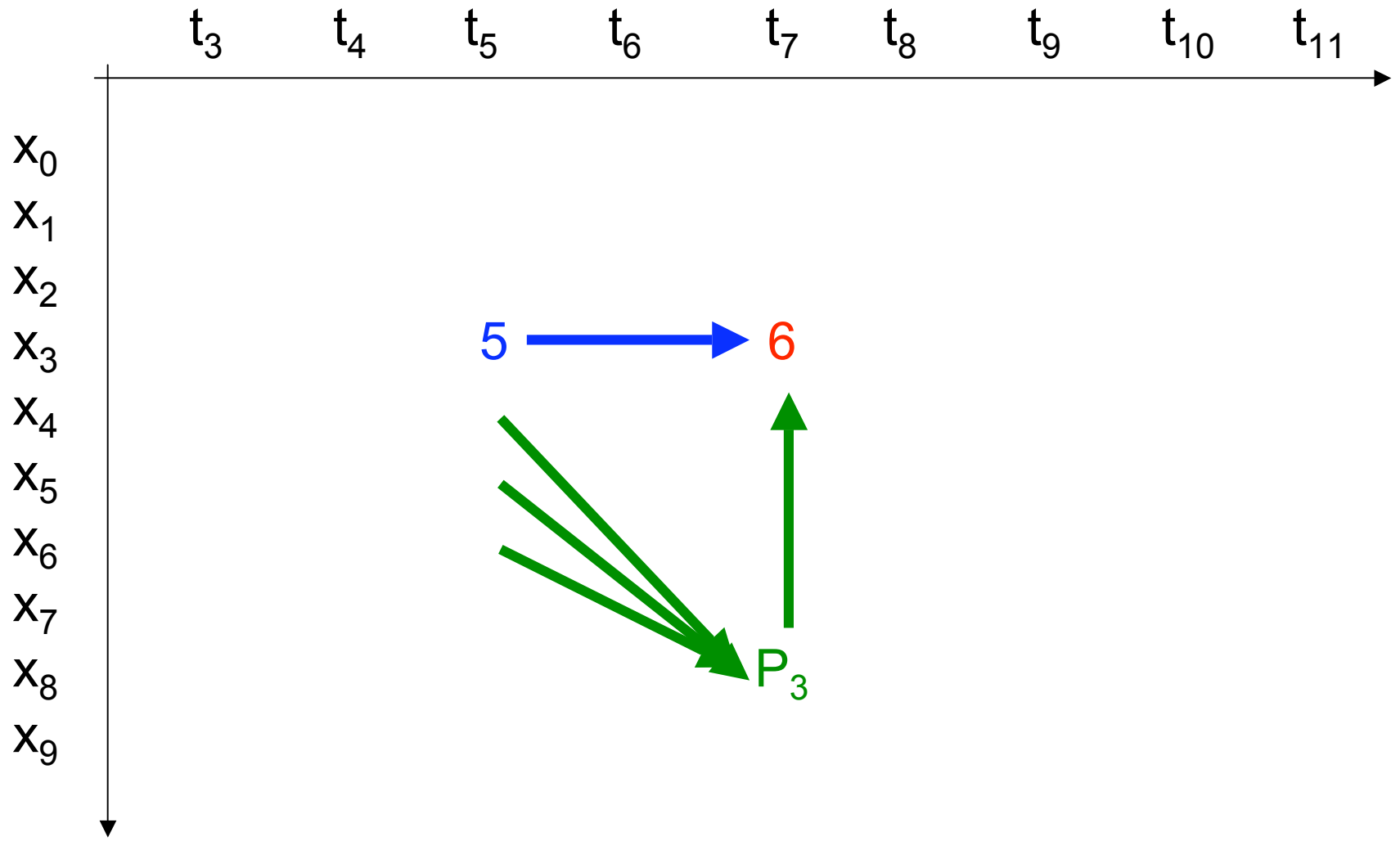


computation



interleaved





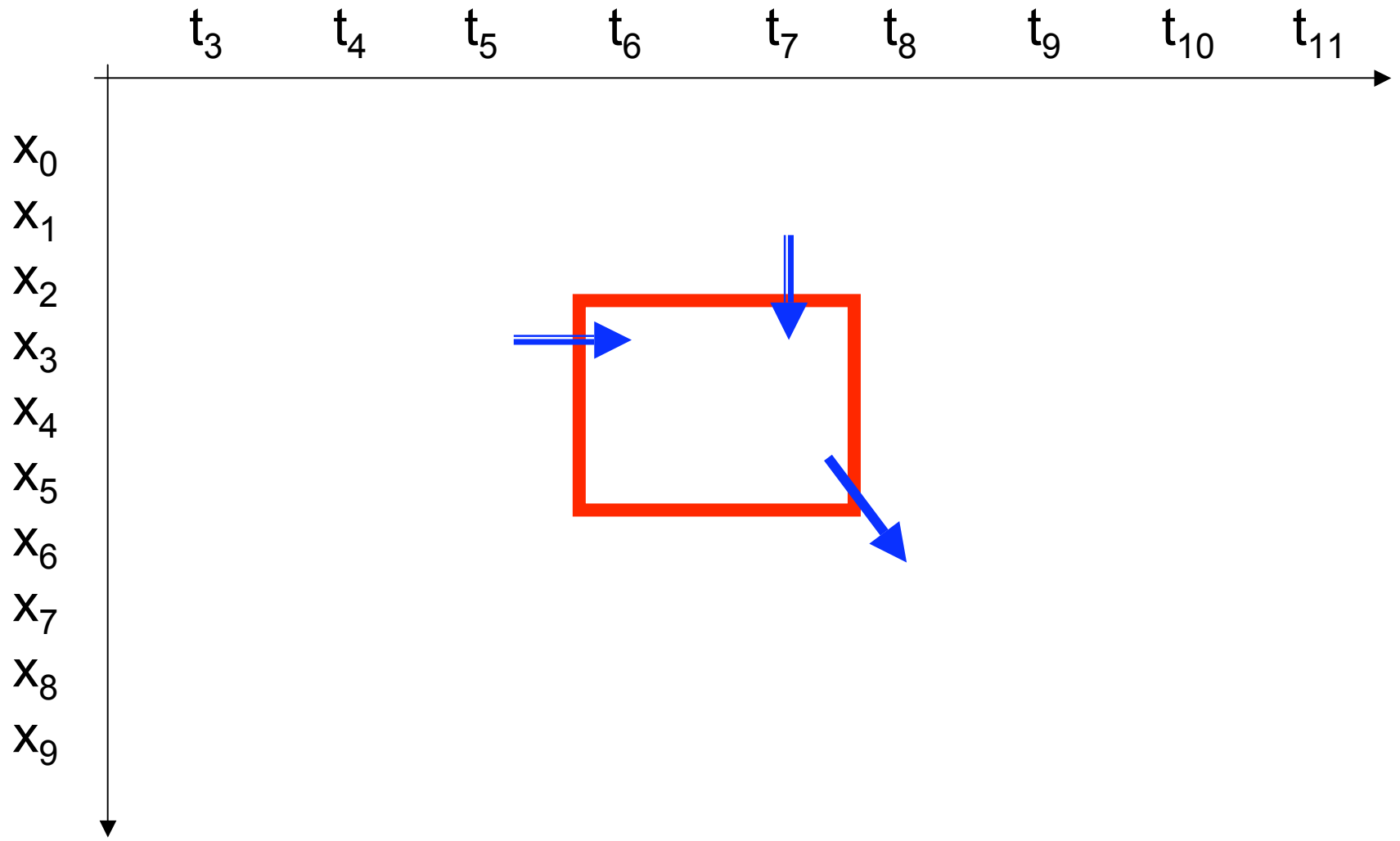
priorities

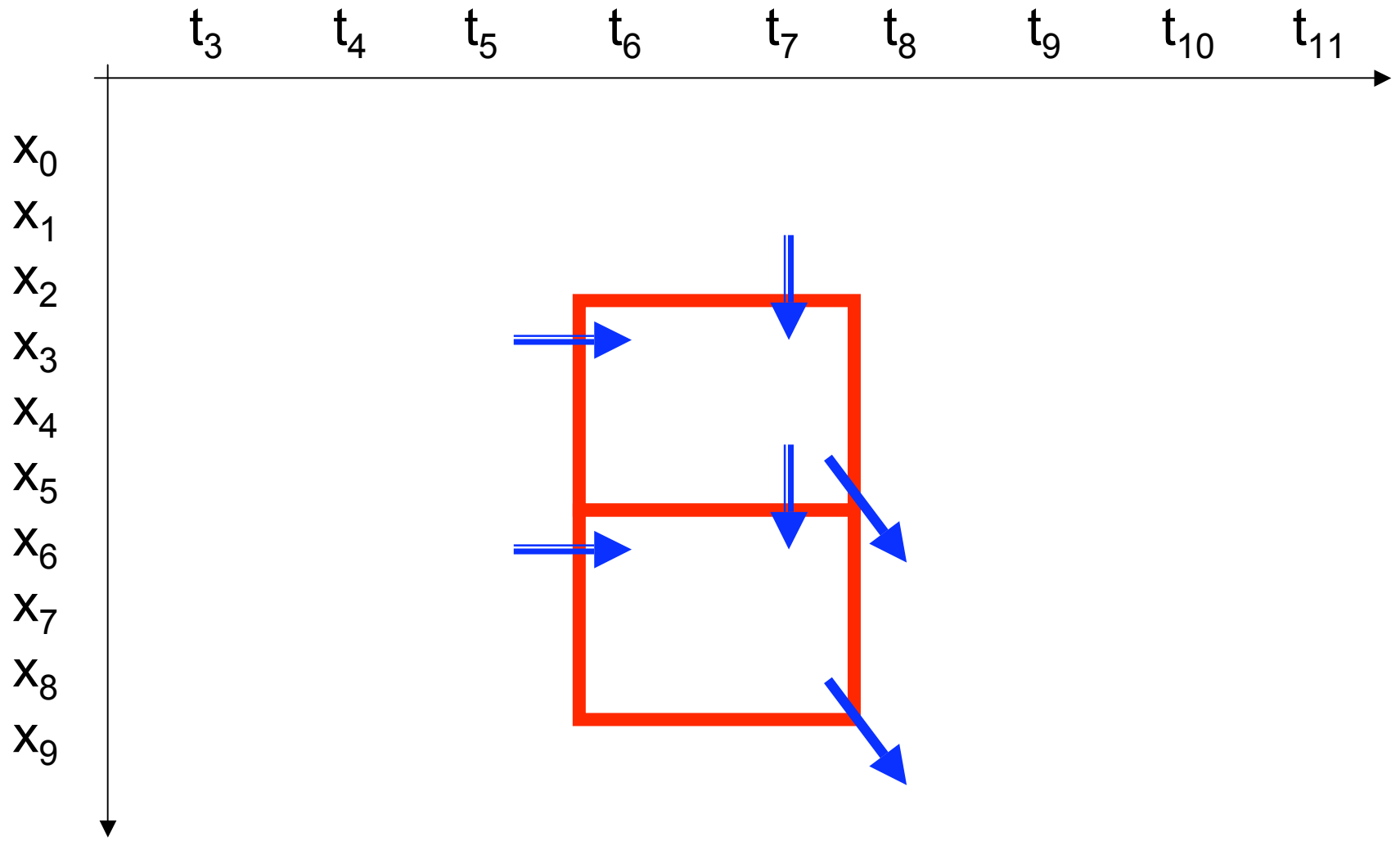
# My Ideal Component Model

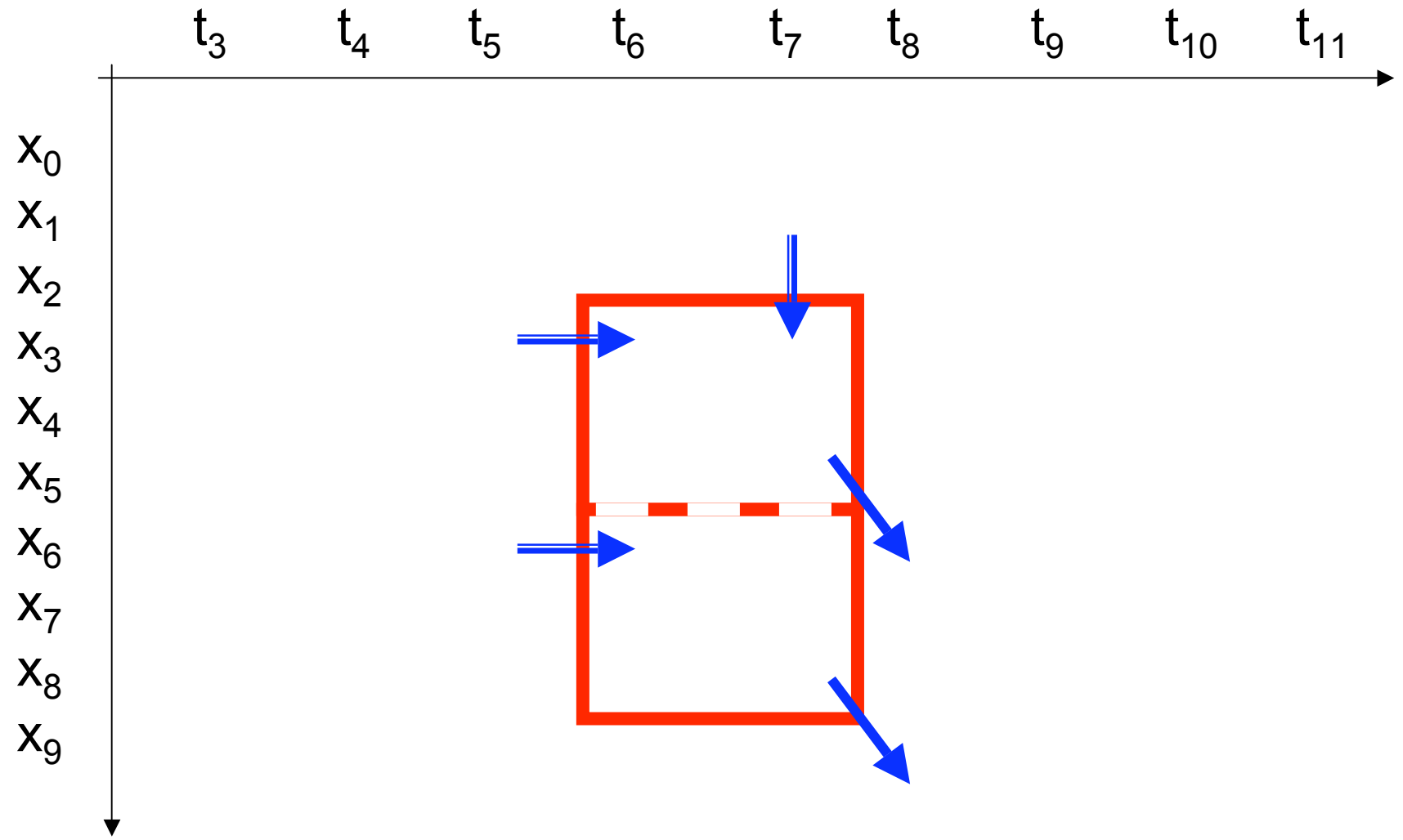
- value dependencies are the **only** computation and communication primitive
- component dependencies are **bounded** in both time and space
- component dependencies are **dynamic** in both time and space

# My Ideal Component Model

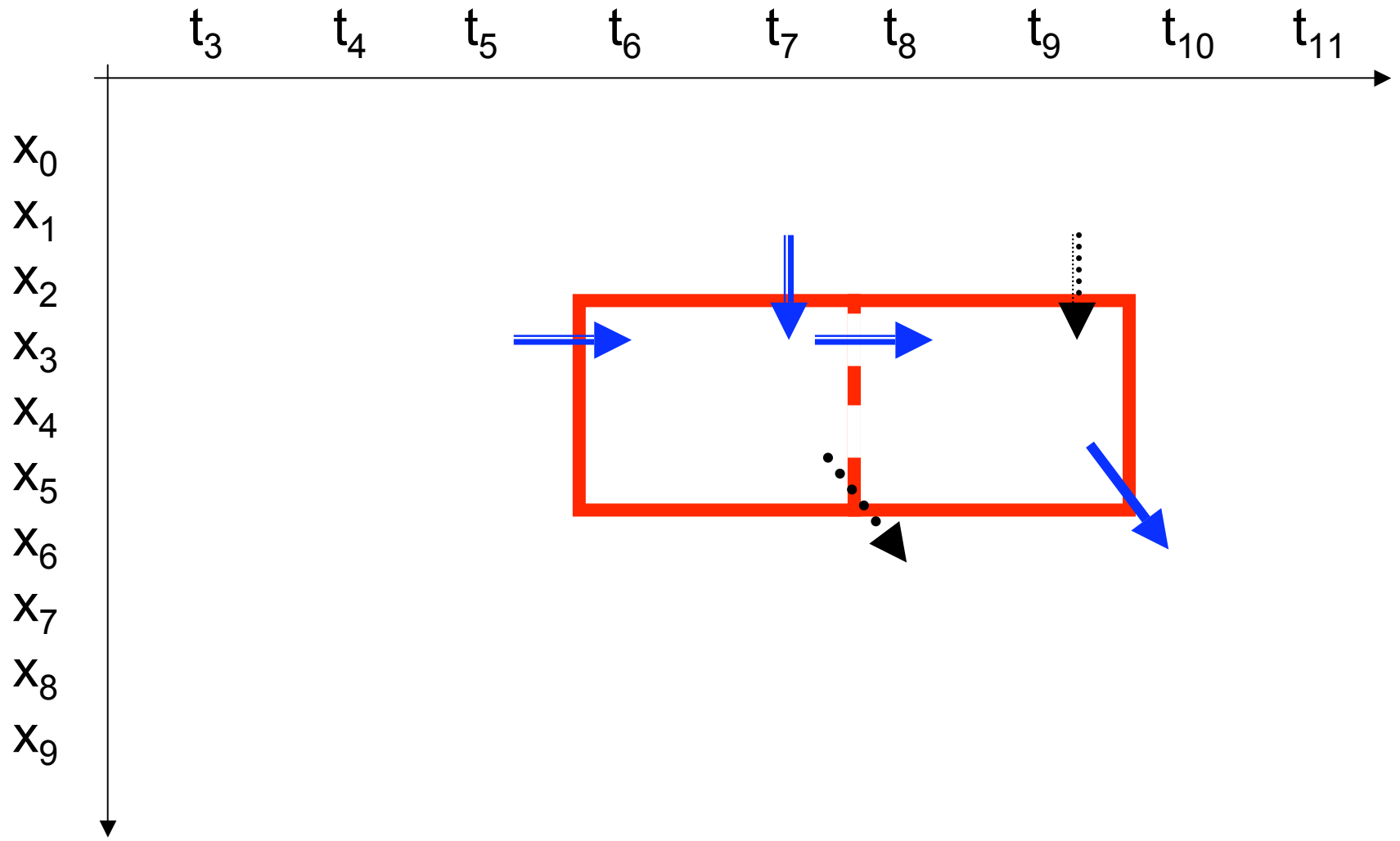
- value dependencies are the **only** computation and communication primitive
- component dependencies are **bounded** in both time and space
- component dependencies are **dynamic** in both time and space
- components can be **aggregated** in both time and space







spatial aggegration



temporal aggegration:  
logical execution time

# My Ideal Component Model

- value dependencies are the **only** computation and communication primitive
- component dependencies are **bounded** in both time and space
- component dependencies are **dynamic** in both time and space
- components can be **aggregated** in both time and space
- components have **multiple** behaviors

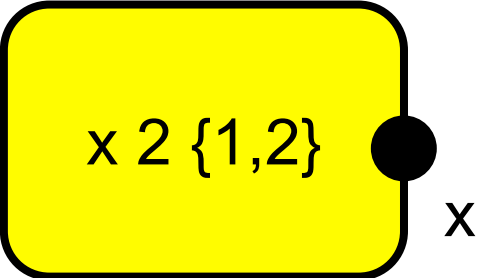


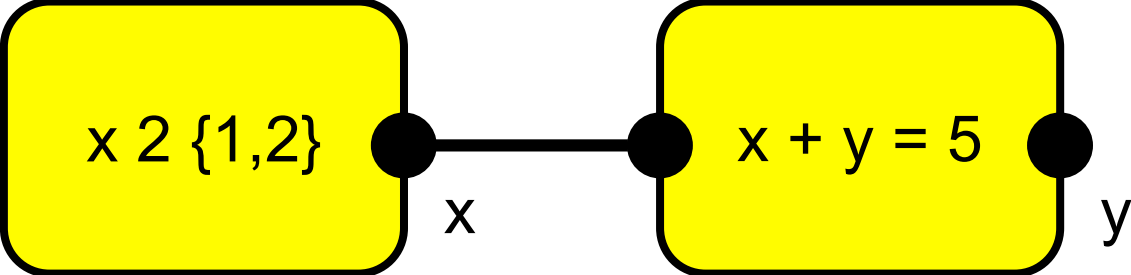
# Reactive Modules [Alur & H 1996]

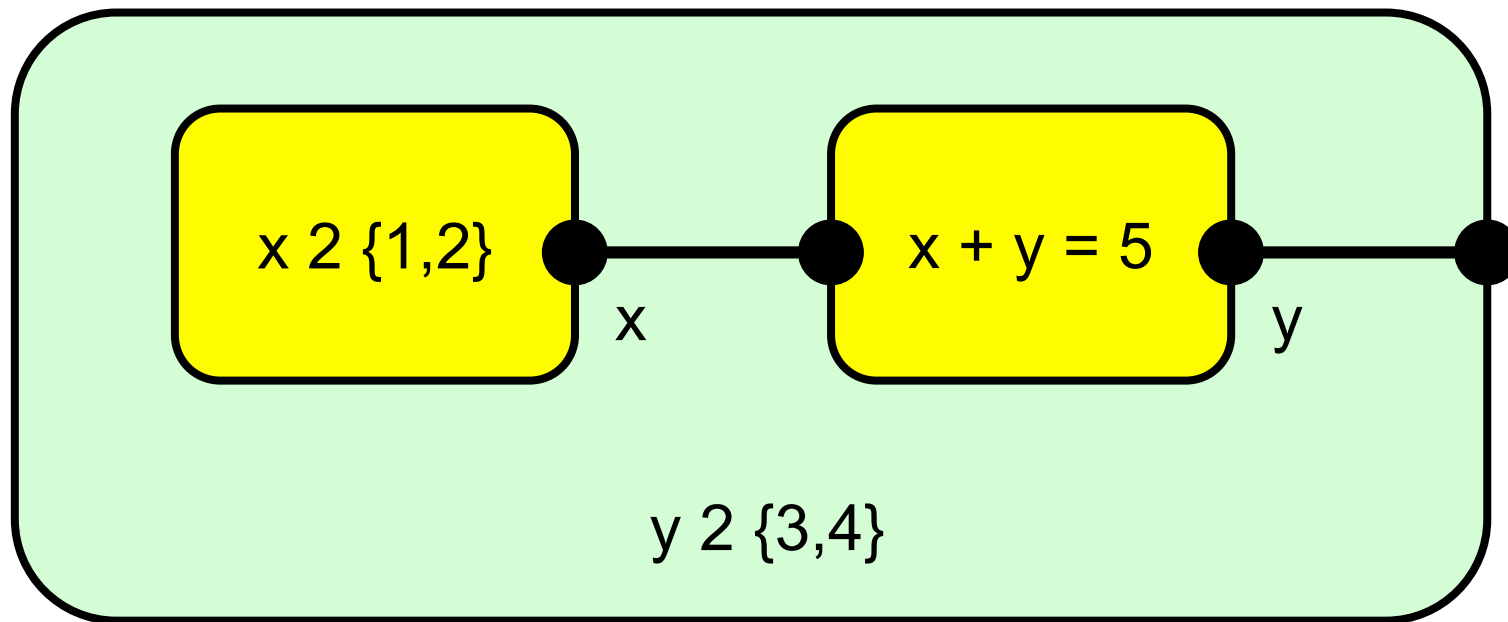
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# Some Thoughts on Interface Models

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composition is conjunction:  
compatibility is nonemptiness

## The I/O Symmetric View is Insufficient

int    ●————▶●    float    compatible


float    ●————▶●    int    incompatible

## The I/O Symmetric View is Insufficient

$x = 2$    ● → ●    $x = 2$    compatible

$x = 2$    ● → ●    $x = 2$    incompatible

## The I/O Symmetric View is Insufficient

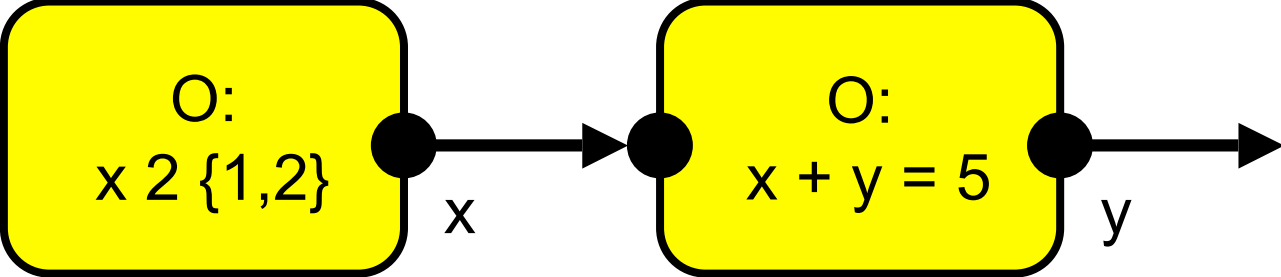
O:  $x = 2$   I:  $x \neq 2$  compatible

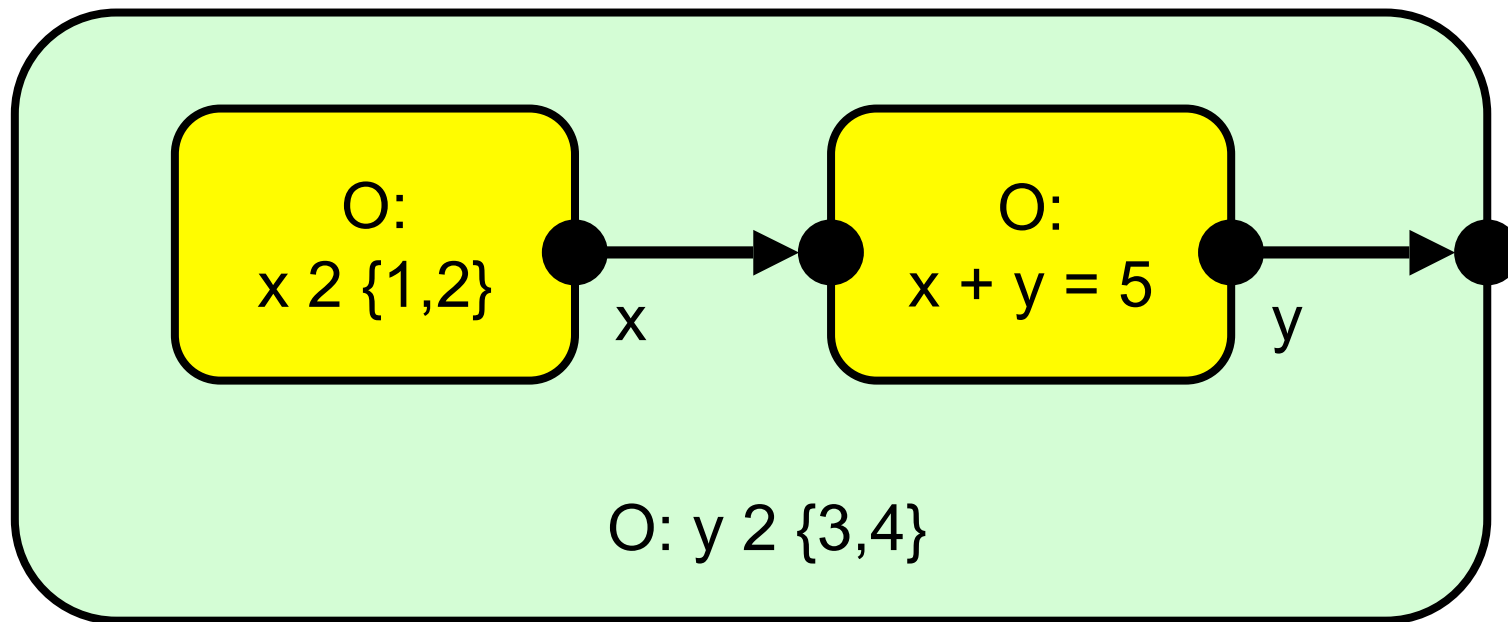
O:  $x \neq 2$   I:  $x = 2$  incompatible

output  
guarantee

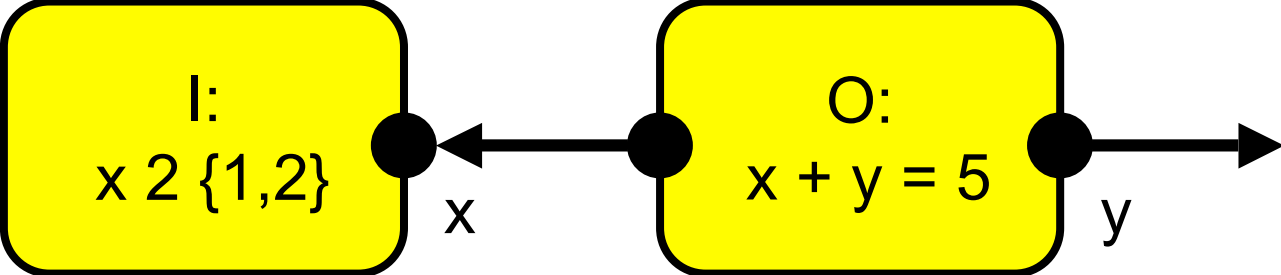
input  
assumption

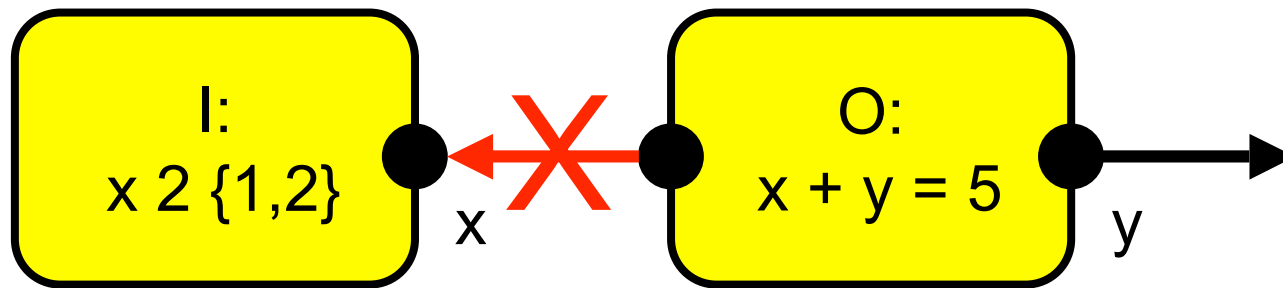




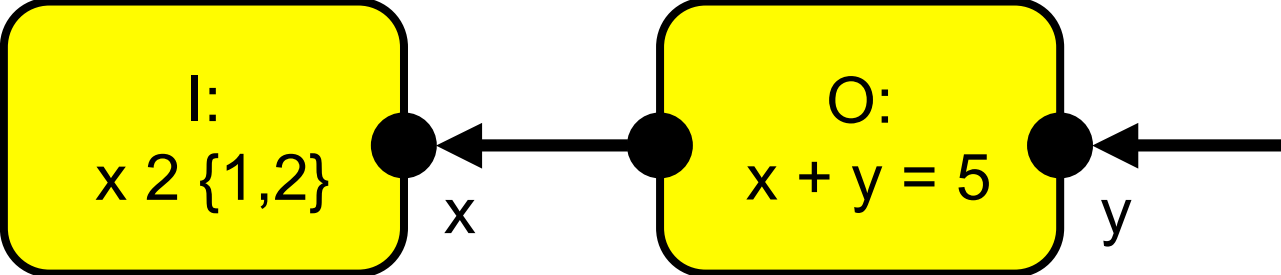


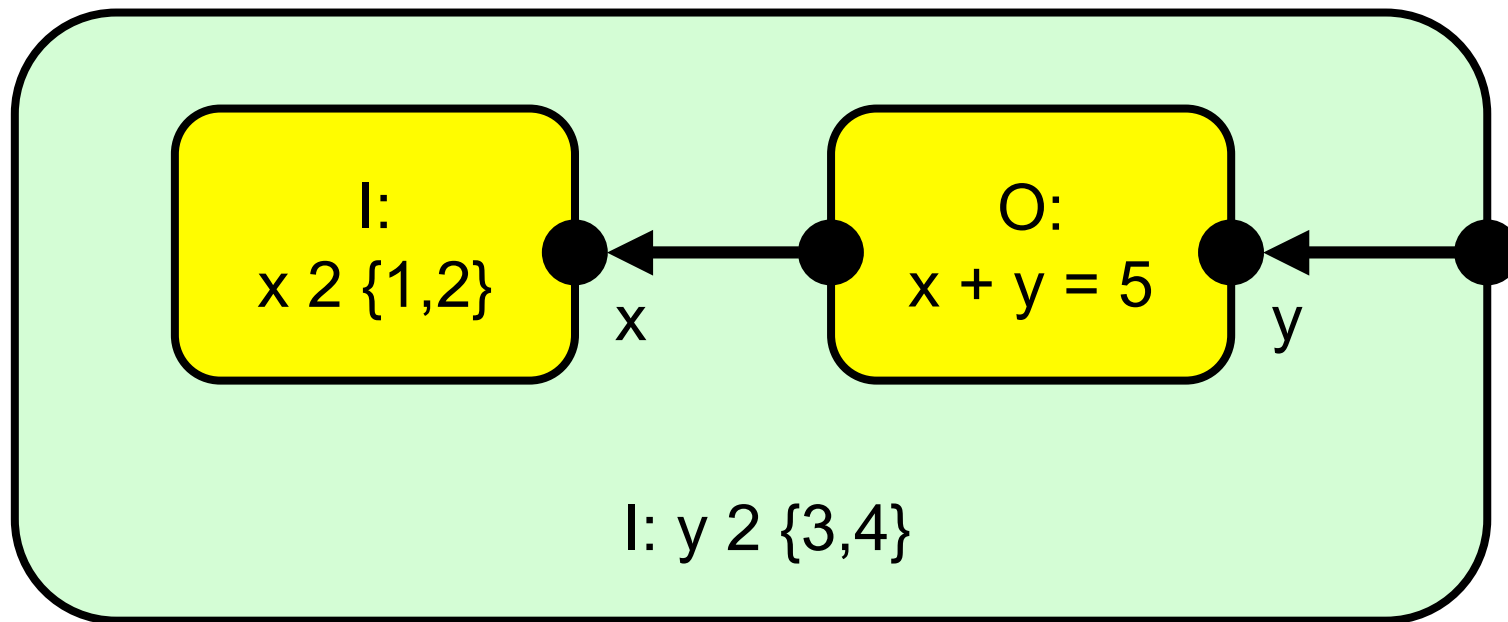
compatible



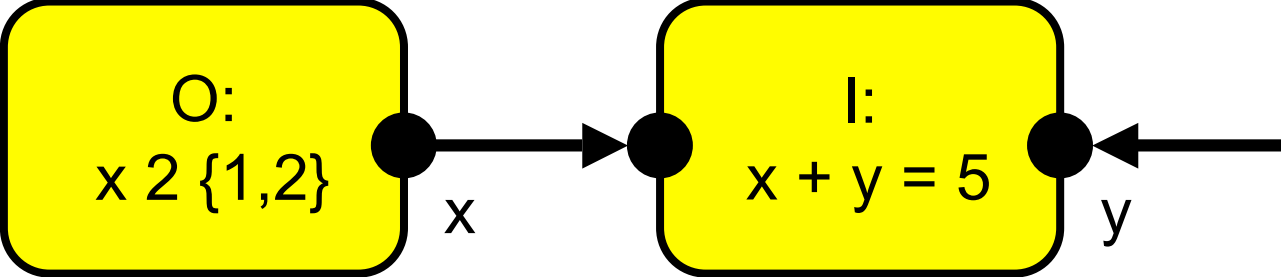


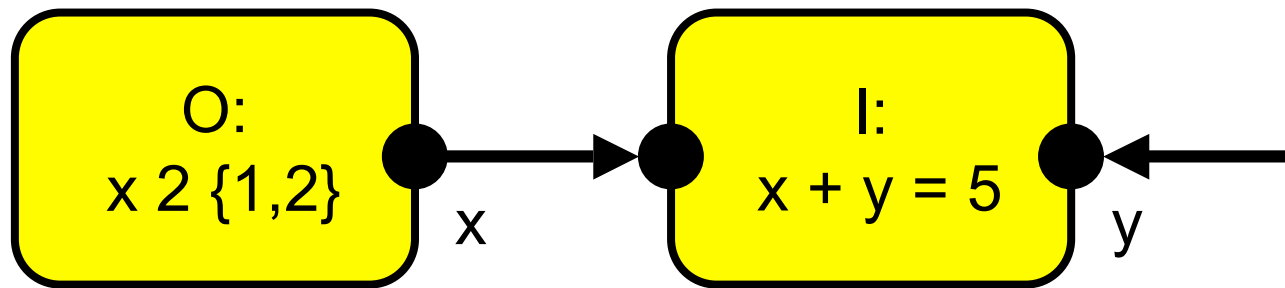
incompatible





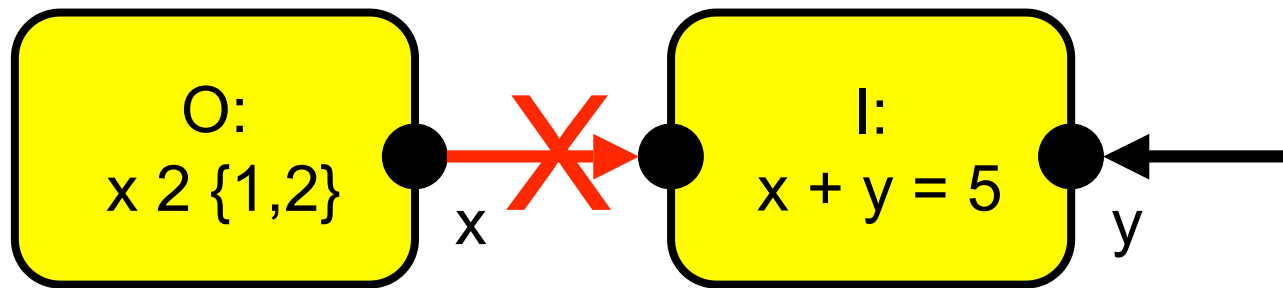
compatible:  
compute weakest input assumption





I:  $y = 3$  ?





incompatible

# Interfaces [de Alfaro & H 2001]

- inputs and outputs are **contravariant**
- **composition is not conjunction**: weakest input assumption is most general strategy in **compatibility game** (input player versus output player)
- **refinement is not implication**: output guarantees can be strengthened, but input assumption must be weakened
- input assumptions and output guarantees can be about **timing** and **resource usage**