



# **Contract Theories for Embedded Systems: users' requirements, failure or success to meet them, and a new proposal**

A team work presented by Albert Benveniste, INRIA

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## Contract Theories for Embedded Systems:

1: users' requirements, failure or success to meet them

2: a new proposal

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# Users' Requirements



## Positioning contract-based design in embedded systems design flow

- Detailed system design
  - Enabling separate development of components
  - Roles and duties of component vs. environment made explicit
  - Handling detailed design models, functional & extra-functional
  - Focus on scope, power, and computational cost of analysis
- Early requirements capture
  - Contracts as legal bindings for OEM-supplier chains; explicit assumptions and guarantees
  - Enabling separate development of *components* and *viewpoints*; facilitating integration
  - Should accommodate existing design flows & system architectures



## Positioning contract-based design in embedded systems design flow: **our focus**

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## Positioning contract-based design in embedded systems design flow: refining requirements

- **Explicit roles**
  - Component/Environment
  - Assumptions/Guarantees
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## Positioning contract-based design in embedded systems design flow: refining requirements

- Explicit roles
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- **Conjunctive requirements**
  - **Multiple viewpoints**
  - **Doors/Excel Req capture**
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- Explicit roles
  - Component/Environment
  - Assumptions/Guarantees
- Conjunctive requirements
  - Multiple viewpoints
  - Doors/Excel Req capture
- **Allow for flexible design flow**
  - **Component first vs. viewpoint first**
  - **System/service Architecture ≠ Execution Infrastructure**
- Early requirements capture
  - Contracts as legal bindings for OEM-supplier chains; explicit assumptions and guarantees
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- **Explicit roles**
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  - Assumptions/Guarantees
- **Conjunctive requirements**
  - Multiple viewpoints
  - Doors/Excel Req capture
- **Allow for flexible design flow**
  - Component first vs. viewpoint first
  - System/service Architecture  $\neq$  Execution Infrastructure
- **Locality**
- **Early requirements capture**
  - Contracts as legal bindings for OEM-supplier chains; explicit assumptions and guarantees
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# Some frameworks for contract-based design



## Some frameworks for contract-based design: they all offer provision for

- Attaching contracts & implementations to components
  - Component / Environment
  - (A,G) = (Assume, Guarantee)
- Composing components  $\otimes$
- Additional services
  - Well-formedness
  - Deadlock avoidance
- **Satisfaction**
  - $M \models C$  if when put under any E meeting assumptions specified in C, implementation M satisfies guarantees entailed by C
- **Consistency**
  - C is consistent if it admits a non-empty implementation
- **Compatibility**
  - C is compatible if it admits a non-empty environment
- **Refinement**
  - $C' \leq C$  if C' has less implementations and more environments than C



# Some frameworks for contract-based design

- **C=(A,G), M** where A,G,M are properties [SPEEDS]
  - A,G explicit,  $\neg X$  needed
  - Deadlock etc not considered
- **Interface Automata** & variants [de Alfaro-Henzinger]
  - A,G implicit
  - Illegal states, game approach
- **Modal Interfaces** & variants [Larsen]
  - A,G “very” implicit, through modalities for transitions: may/must
  - Surprisingly simple and elegant
- **Satisfaction**

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Embeddings exist



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- 
- Reflect the game nature of Interface Automata as follows:
    - Everything the Env is allowed to submit *must* be accepted by the component
    - The Comp *may* output what is allowed by the interface
    - Everything the Env is disallowed to submit leads to a trap (exception state, where anything can happen afterwards)



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- $C$  is characterized by its set of implementations:  
 $\{ M \mid E \subseteq A \Rightarrow M \times E \subseteq G \}$
- Regard  $A$  and  $G$  as Modal Interfaces (with all transitions being *must*); finding  $C$  amounts to solving for  $X$  the equation  $X \otimes A = G$
- Solution:  $X=G/A$  the residuation (or quotient) of  $G$  by  $A$
- **Contracts as quotients  $G/A$**



Failure or success to meet users'  
requirements

Two issues that proved surprisingly  
critical



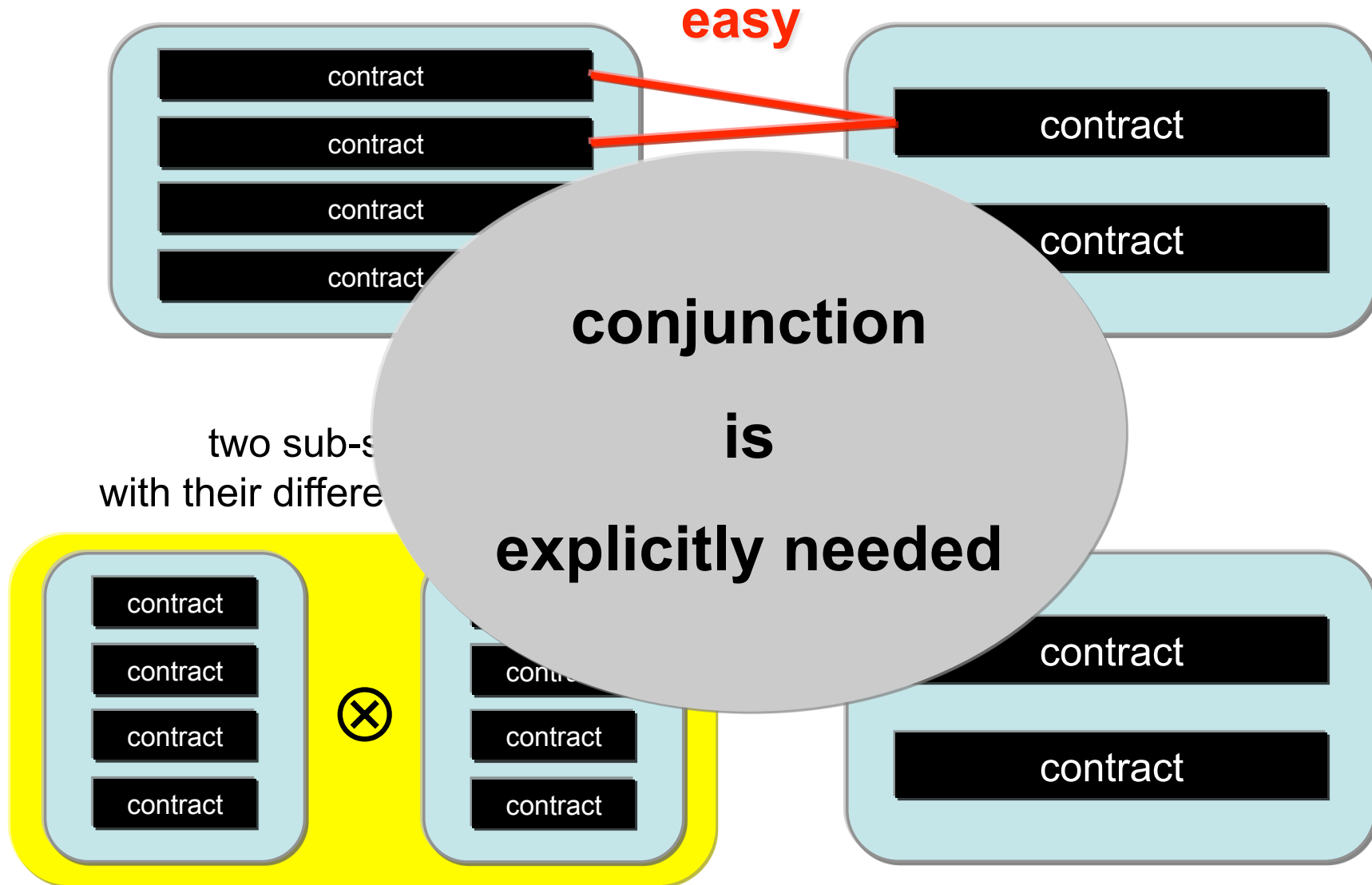


## Two issues that proved surprisingly critical

- **Conjunctive Contracts**
  - Followed from users' requirements
  - Allow for flexible design flow
- **Questions:**
  - Is conjunction explicitly needed or does there exist a turn around?
  - How do the different frameworks support conjunction?
- **Locality of alphabets of ports and actions**
  - Seems like a little technical detail, but still needed
- **Question:**
  - How do the different frameworks support alphabet equalization?

# The issue of Conjunctive Contracts

illustration on the case of refinement



- $C=(A,G), M$  where  $A,G,M$  are properties [SPEEDS]
  - $A,G$  explicit,  $\neg X$  needed
  - Deadlock etc not considered
- $M \models (A,G)$  iff  $M \subseteq G \cup \neg A$
- $(A',G') \leq (A,G)$  iff  $A' \subseteq A$  and  $G' \subseteq G$ 
  - Refinement is sound but not complete!
- $(A',G') \wedge (A,G) = (A' \cup A, G' \cap G)$
- $(A',G') \otimes (A,G) = ((A' \cap A) \cup \neg(G' \cap G), (G' \cap G))$
- Seems OK

- Interface Automata & variants [de Alfaro-Henzinger]
  - A,G implicit
  - Illegal states, game approach
- Refinement is by **alternating simulation**:  $C' \leq C$  iff, from respective initial state
  - Env' can do whatever Env can
  - Comp can do whatever Comp' canand the two moves lead to states where the same repeats
- Conjunction  $\Leftrightarrow$  Shared Refinement.
  - **Very subtle and solved only for a special class of synchronous transition systems [Emsoft09]**
- Problematic.  
Alternative: ATL logic?

- Modal Interfaces & variants [Larsen]
  - A,G “very” implicit
  - Surprisingly simple and elegant
- C is an automaton in which transitions are labeled *may* or *must*
- Actions are labeled either  $\text{?}$  =Env or  $\text{!}$ =Comp
- $M \models C$  iff M offers all *must* transitions and some *may* transitions
- Refining: turning some *may* into *must* and removing other *may*'s
- Conjunction: take product structure and intersection of *may* and union of *must*

- Usually not considered a problem: two automata with different alphabets must synchronize on their shared actions and otherwise interleave
  - Amounts to equalization by inverse projections: add in each state self-loops with missing symbols
  - Take Assume/Guarantee contracts as an example
- Apply this to  $(A_1, G_1) \wedge (A_2, G_2)$ ?
- Suppose  $A_1$  is non-trivial,  $A_2 = \text{true}$  and the two contracts possess disjoint alphabets
  - Then equalizing by inverse projections yields
 
$$\begin{aligned} (A_1, G_1) \wedge (A_2, G_2) &= \\ (\pi^{-1}(A_1) \cup \pi^{-1}(A_2), -) &= \\ (\pi^{-1}(A_1) \cup \text{true}, -) &= (\text{true}, G) \end{aligned}$$
  - Although the two contracts do not interact, the second one kills the assumptions of the first one !!!
  - Mathematically consistent but highly non satisfactory

- Reason for this artifact is that equalization by inverse projection is not neutral for conjunction (it is neutral for composition)
- Problem: how can we have two different alphabet extensions that can respectively be**
  - Neutral for  $\otimes$
  - Neutral for  $\wedge$
- No solution found so far in the framework of  $(A, G)$  contracts
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  - Neutral for  $\otimes$
  - Neutral for  $\wedge$
- No solution found so far in the framework of (A,G) contracts
- **Modal Interfaces offer enough flexibility for having a positive answer to this problem**
- Strong extension:
  - add in each state *must* self-loops with missing symbols
- Weak extension:
  - add in each state *may* self-loops with missing symbols
- **It turns out that strong extension is neutral for  $\otimes$  and weak extension is neutral for  $\wedge$**





## The issue of alphabet equalization

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- **Problem: how can we have two different alphabet extensions that can respectively be**
  - Neutral for  $\otimes$
  - Neutral for  $\wedge$
- No solution found so far in the framework of (A,G) contracts
- We do not know whether there is a solution to this problem in the framework of Interface Automata & variants



# Summary of situation

- Embeddings exist
  - (A,G) contracts  $\rightarrow$  Modal Interfaces  $\leftarrow$  Interface Automata
- Modal Interfaces address all difficulties in an elegant way
  - They are the best candidate for future developments



## A new proposal: Convex Acceptance Interfaces

InterSMV: a tool under development by Benoit Caillaud at INRIA for handling Convex Acceptance Interfaces



## Objectives of InterSMV

- Supporting all basic operations
  - Refinement
  - Conjunction
  - Parallel composition
  - Quotient (Residuation)
  - **Weak & Strong alphabet extensions**
- Supporting fundamental relations:
  - Implementation
  - Consistency
  - Compatibility
- A front-end for NuSMV
- Handling Modal Interfaces
- Supporting both interleaving and synchronous semantics
  - Interleaving: theory well developed
  - **Synchronous: new, non-trivial adaptation**

- Modal Interfaces having Synchronous Symbolic Transition Systems as their implementations, i.e.:
- $M = (D, \Sigma, T)$ , where
  - $D$  is a universal domain of values (for simplification), possibly equipped with a distinguished element to encode absence
  - $\Sigma$  is a finite alphabet of variables,  $S = D^\Sigma$  is the set of *states*
  - $T \subseteq D^\Sigma \times D^\Sigma$  is the symbolic *transition relation*, relating previous and current variables
- **This model is not closed under weak alphabet extension:**  
see next counter-example

- Synchronous Implementation:  $M = (D, V, T)$ , where
  - $D$  is a universal domain of values (for simplification), possibly equipped with a distinguished element to encode absence
  - $V$  is a finite alphabet of variables,  $\Sigma = D^V$  is the set of *states*
  - $T \subseteq \Sigma \times \Sigma$  is the symbolic *transition relation*, relating previous and current variables;
- Modal STS:  $C = (D, V, may, must)$ , where
  - $may, must \subseteq \Sigma \times \Sigma$ ; consistency holds if  $must \subseteq may$
  - Implementation:  $M \models C$  if  $must \subseteq T \subseteq may$
  - In particular, the set of implementations is stable under intersection: if  $M, M' \models C$  then  $must \subseteq (T \cap T') \subseteq may$

- Signature :  $V = \{ x: \text{boolean} \}$
- Modal specification :  $C = \ll \text{always} (\text{must } x) \wedge (\text{may } x) \gg$
- Possible implementations satisfying the specification: **in every state  $x$  must be enabled and  $\neg x$  must be disabled.**
- How to extend  $C$  to signature  $W = \{ x, y: \text{boolean} \}$ , so that we are neutral w.r.t. any specification  $B$  over  $W$ , taken conjunctively?
- **We should allow  $\{ x.y \}$  or  $\{ x. \neg y \}$  or  $\{ x.y, x. \neg y \}$ , and nothing else.**
- **Problem : this set is not closed under intersection since  $\{ x.y \} \cap \{ x. \neg y \} = \emptyset$ , which is not part of the above set.**  
Thus the above set is not expressible as a modal specification.





## What is the problem?

- Modalities are not flexible enough at specifying the allowed transition relations



## What is the problem? What is the solution?

- Modalities are not flexible enough at specifying the allowed transition relations
- Relax modalities by considering instead **Acceptance Relations**
- Acceptance relation = enumeration of the allowed transition relations, from each given source state
- A comprehensive theory of **Acceptance Interfaces** has been developed by J-B Raclet in his thesis [Raclet PhD 2007]

- $A \subseteq \Sigma \times 2^\Sigma$   
(modal:  $must \subseteq may \subseteq \Sigma \times \Sigma$ )
- $C \subseteq C'$  iff  $A \subseteq A'$   
 $C \wedge C' : A \wedge A'$   
 $A \otimes A' = \{ X \cap X' \mid X \in A, X' \in A' \}$   
 $A / A' = \{ X \mid \forall X' \in A' : X \cap X' \in A \}$
- Strong and weak extensions:  
 $\Sigma' = \Sigma \cup \{a\}$   
 $A_{\uparrow\Sigma'} = \{ X \cup \{a\} \mid X \in A \}$   
 $A_{\uparrow\Sigma} = A \cup A_{\uparrow\Sigma'}$
- Very elegant, but very costly
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## What is the problem? What is the solution?

- Are we done? Not quite so
- L Due to extensional enumeration, acceptance relations are computationally intractable
- J Idea: search for a framework that sits between Modalities and Acceptance Relations:
  - **Convex Acceptance Relations**
  - **They are characterized via their extremal elements**
  - **Stable under all operations**
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- The coding of Interval Acceptance Relations:
 
$$\Sigma = D^V \ni s \rightarrow \{ \text{tt}, \text{ff}, \perp, \top \}$$

$$[a^-(s), a^+(s)] = \text{tt} \text{ if } s \in a^- \wedge s \in a^+$$

$$[a^-(s), a^+(s)] = \text{ff} \text{ if } s \notin a^- \wedge s \notin a^+$$

$$[a^-(s), a^+(s)] = \perp \text{ if } s \in a^- \wedge s \notin a^+$$

$$[a^-(s), a^+(s)] = \top \text{ if } s \notin a^- \wedge s \in a^+$$
- With this coding, handling Convex Acceptance Interfaces can be done using NuSMV: tool **InterSMV**



## Some concluding remarks

- Modal interfaces are a very good basis for contract-based design
- Convex Acceptance Interfaces seem a good compromise
- InterSMV is a tool under development at INRIA for handling modal interfaces
- Still, the situation is far from being satisfactory...



# Still, the situation is far from being satisfactory...

- They look simple but the devil is in the details
  - They differ for each different framework
  - Authors may even disagree in what they are
  - There are many variations
- While contracts are appealing to the industry, engineers struggle grasping what these relations are
  - an ongoing effort at CESAR SP2
- **Satisfaction**

$M \models C$  if when put under any  $E$  meeting assumptions specified in  $C$ , implementation  $M$  satisfies guarantees entailed by  $C$
- **Consistency**

$C$  is consistent if it admits a non-empty implementation
- **Compatibility**

$C$  is compatible if it admits a non-empty environment
- **Refinement**

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# Still, the situation is far from being satisfactory...

- Consistency and compatibility look dual
  - and should be dual (Env and Comp should be dual players);
  - unfortunately they are not!
- Conclusion:
  - The theories should be cleaned up to make fundamental relations crystal clear
  - Or alternatively relations should be made flexible as they become clear in most practical cases
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- Conclusion:
  - The theories should be cleaned up to make fundamental relations crystal clear
  - Or alternatively relations should be made flexible as they become clear in most practical cases
- **Need for cleaner theories**
  - Clarify fundamental relations
  - Clean compatibility vs. consistency
  - Be either functional (In→Out) or relational; avoid hybrids
- **Need to smoothly embed contracts into requirements engineering**



THANK YOU

Well, assuming that  
the audience paid proper attention

Did the speaker meet its promises?